# BITS-Filani Dubai, International Academic City, Dubai II SEM: 2009-2010 III Year EEE

## EVALUATION Component: Comprehensive examination (Closed Book) EEE C 433 ELECTROMAGNETIC FIELDS AND WAVES

Date: 25th May 2010

Max. Marks: 80

Duration: 3hrs

Weightage: 40%

Instructions:

Assume suitable data if required Answer questions sequentially

### **Answer All Questions**

1)

- a) Let  $V = 2xy2z3 + 3 \ln(x2 + 2y2 + 3z2)V$  in free space. Evaluate each of the following quantities at P(3, 2, -1): i) Voltage at point P and ii) Electric field at point P. (4)
- b) Evaluate the magnetic flux density vector  $\hat{H}$  at point P(0,0,3) due to a current sheet  $\hat{K} = 8\hat{a}_x$  A/m flows in the region  $-2 \prec y \prec 2$  in the plane z=0.

2)

- a) Define propagation constant  $\gamma$ . Obtain the expression for propagation constant  $\gamma$ . (6)
- b) Derive the expression for the reflection coefficient k in terms of impedance and show that the standing wave ratio  $S = \frac{1+|k|}{1-|k|}$ . (6)

3)

- a) Obtain the expression for Open circuited impedance of the line  $Z_{oc}$  and short circuited impedance of the line  $Z_{sc}$  and also prove that  $z_0 = \sqrt{z_{oc}.z_{sc}}$  for any transmission line, Where  $Z_0$  is the characteristics impedance of line. (6)
- b) The primary constants of a certain line are R=2.6 ohm/Km, L=2.4 mH/Km, C=0.0078  $\mu$ F/Km and G=0.11  $\mu$  mho/Km. The line of 50 km length carries signal of 10 V, 7.5 kHz and is terminated by its characteristic impedance. Find the receiving power (8)

4)

a) An antenna of impedance  $40+j20~\Omega$  is to be matched to a lossless line having characteristic impedance  $100~\Omega$ . Find the parameters of single stub matching (6)

| <b></b> \ | b)        | Derive wave equation for conducting medium and find its solution   | ı.<br>( <b>4)</b>      |
|-----------|-----------|--|------------------------|
| 5)        | a)        | A plane wave traveling in non magnetic medium $E=50\sin(10^8t+2z)\hat{a}_yV/m$ . Find the direction of propagation, the  | has<br>wave            |
|           | b)        | length, the frequency the relative permittivity and the magnetic intensity H Polystyrene has relative permittivity of 2.7.If a perpendicularized wave incident at an angle of $\theta_i = 30^\circ$ from air | ( <b>4)</b><br>cularly |
|           |           | polystyrene, find (i) the angle of transmission, the reflection coef   |                        |
| 6)        | Wr<br>red | rite the working principle of Yagi - Uda antenna and design ceiving television channel operating in 54 MHz to 61 MHz.  | it for<br>( <b>6</b> ) |
| 7)        |           | distalled, e is the velocity of light  | nat the<br>'r'         |
| 8)        | a)        | Di Dausiue array   | (5)<br>(5)             |

## BITS, PILANI - DUBAI

## SECOND SEMESTER 2009 - 2010

Test2 [Open Book]

Course Code

: EEE C433

III Year EEE : ELECTROMAGNETIC FIELDS AND WAVES Date: 02.05.10 Max Marks: 40

Course Title Duration

: 50 minutes

Weightage: 20%

1. ANSWER All the questions. Instructions:

2. Make assumptions, if any, but explicitly indicate the assumptions made

1)

a) A line with characteristic impedance of  $70\Omega$  is terminated by open circuit impedance. Determine the sending end impedance for the line having length of (i)\(\lambda\)8, (ii)\(\lambda\)4 and (iii)\(\lambda\)2 [3]

5

b) Write the procedure for finding unknown terminating impedance

Write the need of stub matching and its various types . Which is the stub preferred?

[3]

d) A transmission line having characteristic impedance of 50  $\Omega$  is connected to a load of 250 $\Omega$ . Find the parameters of single stub matching

[4]

2) Show that the input impedance of lossless Quarter wave transformer having length  $\lambda/4$  has the

relation 
$$Z_{\text{in}} = Z_o \frac{1}{Z_L} \left[ \text{use the expression } Z_{IN} = Z_o \frac{Z_L + jZ_o \tan \beta y}{Z_o + jZ_L \tan \beta y} \right]$$
 [6]

The electromagnetic field in free space has  $E_x = 0$ ,  $E_y = E_0 \cos \omega (t - \frac{z}{v})$  and  $E_z = 0$ . Prove that

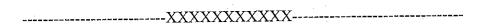
$$\frac{E_y}{H_z} = \sqrt{\frac{\varepsilon_0}{\mu_0}}$$
 where E<sub>0</sub> is initial magnitude of E field, z is distance in Z direction and v is the velocity of propagation [6]

4) A uniform plane wave propagating in free space strikes normally upon a lossy medium having a dielectric constant of 18 with  $\sigma$ =0. The frequency of the wave is 300kHz. If the electric field has an amplitude of 10 V/m at the interface at time t=0. Determine propagation constants of both mediums, wave impedance of both mediums, reflection coefficient and transmission coefficient.

[8]

5) Explain about how the radiation of electromagnetic waves takes place in Antenna.

[5]



## BITS, PILANI – DUBAI

#### SECOND SEMESTER 2009 - 2010

Test1 [Closed Book]

Course Code

: EEE C433

THIRD YEAR : ELECTROMAGNETIC FIELDS AND WAVES Date: 21.03.10 Max Marks: 50

Course Title Duration

: 50 minutes

Weightage: 25%

Instructions:

1. ANSWER All the questions.

2. Make assumptions, if any, but explicitly indicate the assumptions made

- 1. A) If the electric field E is 100 V/m at a distance of 2 m from a positive point charge Q, find the magnitude of charge Q by assuming the relative permittivity of the medium  $\varepsilon_r = 1$ . How will be the direction of the electric field?
  - B) A uniform line charge of 2µC/m is located on z axis. Find the electric field intensity E in rectangular coordinates at P(1,2,3), if the exist from (i)  $-\infty \le z \le \infty$  (ii)  $-4 \le z \le 4$ [5]
  - C) Calculate the volume charge density  $\rho_v$  if the electric flux density at point P(3,45°,-45°) is given by  $D = 2r \sin \theta \sin \phi \hat{a}_r + r \cos \theta \sin \phi \hat{a}_\theta + r \cos \phi \hat{a}_\phi$ [5]
- 2. A) A ring of radius 9cm is placed on plane z=0 and has its center at (0, 0, 0). If the ring carries current 10 A along a find magnitude and direction of magnetic field intensity.
  - B) Find the magnitude and direction of magnetic field intensity at a distance of 1 m due to infinite length conductor carrying current of  $2\pi$  A. [3]
- 3. A) Derive the transmission line equation for the line terminated by its characteristic impedance. Write its unique characteristics. [5]
  - B) Derive the condition  $\frac{R}{I} = \frac{G}{C}$  for the transmission line. Write its significance and prove the [6] same
- 4. The transmission line of length 500 m has open circuit impedance and short circuit impedance  $Z_{oc} = 2000 \angle - 80^{\circ} \Omega$  and  $Z_{sc} = 20 \angle 20^{\circ} \Omega$  respectively. Calculate the value of the characteristic impedance, the attenuation constant, phase constant and velocity of propagation constant if  $\omega$ [10] =10000 radians.
- 5. Write the following in short answer

[10]

- i) Skin effect
- ii) Reflection coefficient
- iii) Standing Wave ratio
- iv) The propagation constant
- v) Lossless line

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|---|--|-------------|------------------------|---|
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|   |  | V           | ersion A               |   |
|   | BITS, PILANI – DUBAI                                 |             |                        |   |
|   | SECOND SEMESTER 2009 – 20                            | 010         |                        |   |
| Course Code: EEE C433                                 | THIRD YEAR EEE                                       |             | Date: 19 <b>.04.10</b> |   |
| Course Title: Electromagnetic to Duration: 20 minutes | field and waves                                      |             | Max Marks: 14          |   |
|   | the questions with most appropriate answer(s)        | at the char | Weightage: 7%          |   |
| 2. Make assumpt                                       | ions, if any, but explicitly indicate the assumption | s made      | provided:              |   |
| 1. Write the procedure for fi                         | nding the reflection coefficient using smith c       | hart        | [2]                    |   |
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| 2. Write the location of open                         | circuit impedance point and short circuit imp        | redance no  | nint in smith          |   |
| 21 Will the the footbold of open                      | enedic impedance point and short enedic imp          | ocaanoo pe  | [1]                    |   |
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| 3. Why is stub matching requ                          | ired? Write the function of stub for matchin         | σ_          | [2]                    |   |
| ,   |  | 0.          | [-]                    |   |
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|   |  |             |                        |   |
| 4. Write the limitations of sing                      | gle stub matching                                    |             | [1]                    |   |

| AMI  | E:; ID NO:  | ; Sec.:                                | ; Prog.:B.E. (Hons.)                       | _   |
|------|---|--|--|-----|
| 5.   | The electric field of $E_y$ of a TEM wave equals $100 \text{vm}^{-1}$ rms. F velocity of propagation in the medium with $\epsilon_r$ =9 |  | Version A propagation in free space(b) [2] |     |
|      |   | • .                                    |  |     |
| 6.   | If the power density of a TEM wave = $100 \text{ W/m}^2$ in a lossless r field intensity (b) magnetic field intensity                   | medium with $\varepsilon_{\rm r}$ =4.1 | Find the magnitude of (a) electr           | ric |
|      |   |  |  |     |
|      |   |  |  |     |
| 7. N | Write maxwell's equation in differential form from Faraday's  | law and from Ampo                      | ere's law                                  |     |
|      |   |  |  |     |

[2]

8. Obtain the value of intrinsic impedance of free space

|  | ~ \   | _; Sec.:;                      |
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| og.B.E. (Hon                               | S.)   | Version A                      |
|  | DITE DILAMI DUDAL   | version A                      |
|  | BITS, PILANI – DUBAI<br>SECOND SEMESTER 2009 – 2010   |                                |
| Course Code: E                             | EEE C433 Quiz-1   | Date: <b>08.03.20</b>          |
| Course Title: El<br>Duration: <b>20 mi</b> | LECTROMAGNETIC FIELDS AND WAVES nutes   | Max Marks: 16<br>Weightage: 8% |
| Instructions:                              | 1.ANSWER All the questions with most appropriate answer(s), at th 2. Make assumptions, if any, but explicitly indicate the assumptions ma 3. Write on back side if the space is insufficient. | e space provided.<br>ade       |
|  | expression for transforming a point in Cartesian coordinate s   | system to a point in a         |
| Spherical of                               | coordinate system   | [1.5 M]                        |
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| Find the fo                                | rce vector due to a reference point charge 0.2mC et (1.2.2)   | on the test of a 0.1           |
| (2,0,5)                                    | rce vector due to a reference point charge 0.3mC at (1,2,3) of  | <del>-</del>                   |
| (2,0,0)                                    |   | [2 M]                          |
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| . Write the a                              | ssumptions to be made for solving problems in Gauss's law   | [1.5]                          |
|  |   | [1.0]                          |
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 $V = 2x^2y - 5z$  at a point P(-4,3,6)

[2M]

Prog.B.E. (Hons.)

Version A

5. Write Maxwell's equation for static field.

[2 M]

6. Determine current density J if magnetic field  $\hat{H}=0.2z^2\hat{a}_x$  .

[2 M]

7. Write a proof for  $\nabla X \hat{E} = \hat{0}$ , where E is electric field intensity

[2 M]

8. Derive Laplace equation for static electric field

[3M]